#### Quantifier-Internal Anaphora and Generalized Association with Distributivity <sup>1</sup>New York University Dylan Bumford<sup>1</sup> (chris.barker@nyu.edu) (dbumford@nyu.ed) Chris Barker<sup>1</sup>

### Different as "Internal" Anaphor

	(1) a. John read a book.
<sup>#</sup> internal	Fred read a different book.
internal	b. Every boy read a different poem.
<sup>#</sup> internal	c. The boys read a different poem.
internal	d. The boys read different books.

Observation: Internal *different* can associate across intervening distributors

- (2) The boys gave the girls different poems
- (3) Every boy gave every girl a different poem
- (4) Each traffic engineer insisted that every intersection she controled had to have a different speed at which its lights changed.
- (5) It's a disaster when a news anchor interviews a pundit who has recently appeared on a competitor's network. So during an election year, each news anchor makes sure she interviews a different expert from each party.

### Generalized AwD

• Association Distributivity (AwD; with distributive quantifiers Brasoveanu 2011): routinely duplicate discourse information, and thereby make available *pairs* of individuals

John ate each meal in a different room:

 $\begin{bmatrix} j \end{bmatrix} \rightarrow \begin{cases} \langle [j b], [j l] \rangle \\ \langle [j b], [j d] \rangle \\ \langle [j l], [j d] \rangle \end{cases} \rightarrow \begin{cases} \langle [j b r_1], [j d r_1] \rangle \\ \langle [j l r_2], [j d r_1] \rangle \end{cases}$ 

- Quantifier-Internal Anaphora: different merely checks that the copies opened up by the distributor differ in the relevant index
- **The problem:** in Brasoveanu, there is only one distributive channel (roughly, the second column), and each distributor overwrites it. *Incorrectly predicts (3)–(5) are unambiguous.*
- AwD Generalized: allow each distributor to introduce a new point of pairwise variation, and then tell *different* where to look to make the appropriate comparison

### Fragment

Building on Brasoveanu 2011 and de Groote 2006; see B&B (to appear) for full details.

$\mathbf{every}^n$	$\lambda PQck . (\forall x, y, x \neq y . Pnc' T \rightarrow (Pn))$	; $Qn$ ) $c'$ T)
$\mathbf{a}^n$	$\lambda PQck  \exists x_1, \ldots, x_{ c }  \left( P  n  ;  Q  n \right) c'  k,$	where $c'$
and (;)	$\lambda pqck . pc(\lambda c' . qc' k)$	$\mathbf{diff}_{ij}$
boy	$\lambda nck . \ (\forall i \in c  .  i_n \in boy) \land k c$	poem
read	$\lambda nmck. \ (\forall i \in c. \langle i_n, i_m \rangle \in read) \land kc$	give

### Derivations

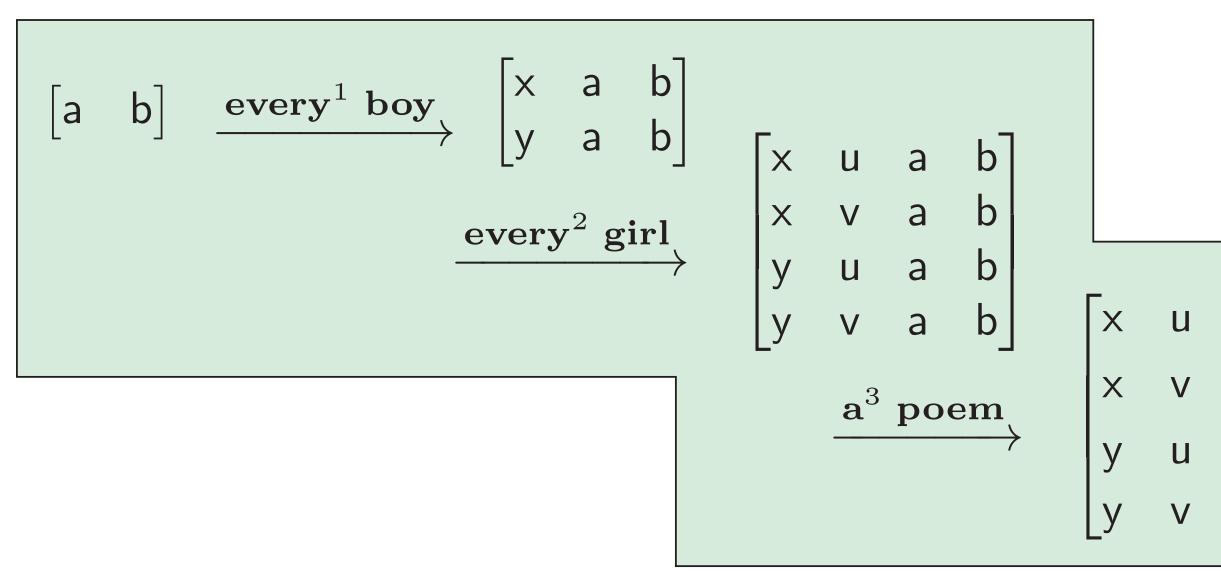
(6) John read a poem. Fred read a different poem.

 $\left(\mathbf{john}^{1}\left(\lambda m.\left(\mathbf{a}^{2}\,\mathbf{poem}\right)\left(\lambda n.\,\mathbf{read}\,n\,m\right)\right)\right);\left(\mathbf{fred}^{3}\left(\lambda m.\left(\mathbf{a}^{4}\left(\lambda m.\left(\mathbf{a}^{4}\right)^{2}\right)^{2}\right)^{2}\right)\right)$  $\lambda ck . \exists z_1, \ldots, z_{|\zeta|} . (\forall i \in \varsigma . i_2 \in \mathsf{poem}) \land (\forall i \in \varsigma . \langle i_2, i_1 \rangle \in \mathsf{read})$  $\exists z'_1, \ldots, z'_{|v|} . (\forall i \in c' . i_4 \in \mathsf{poem}) \land (c'_{1,2} \neq c'_{1,4})$ 

[a b]	$\xrightarrow{\mathbf{john}^1}$	[j a b]	$\xrightarrow{\mathbf{a}^2 \mathbf{poem}}$	$[j \ z_1]$	a b]
$\xrightarrow{\mathbf{fred}^3}$	$[j z_1 f$	a b] —	$4 (\mathbf{diff}_{1,2} \ \mathbf{poe}$	$\xrightarrow{\mathbf{em}}$	$\begin{bmatrix} j & z_1 \end{bmatrix} f$

(7) Every boy gave every girl a different poem

 $\left(\mathbf{every}^1 \mathbf{boy}\right) \left(\lambda m \cdot \left(\mathbf{every}^2 \operatorname{\mathbf{girl}} \left(\lambda n \cdot \left(\mathbf{a}^3 \left(\operatorname{\mathbf{diff}}_{\left\{\frac{2,3}{3,3}\right\}}\right) \mathbf{poem}\right)\right)\right)$  $\lambda ck. \left( \forall x, y, x \neq y. \left( \forall i \in \zeta . i_1 \in \mathsf{boy} \right) \to \forall u, v, u \neq v. \left( \forall i \in \varsigma. \right) \right)$  $\exists z_1, \dots, z_{|\varsigma|} \cdot \left( \forall i \in c' \cdot i_3 \in \mathsf{poem} \right) \land \begin{cases} c'_{2,3} \neq c'_{1,3} \\ c'_{3,3} \neq c'_{1,3} \end{cases}$ 



$$\wedge k c, \quad \text{where } c' = \left[ c_1^{x/n}, c_1^{y/n}, \dots, c_{|c|}^{x/n}, c_{|c|}^{y/n} \right]$$

$$= \left[ c_1^{x_1/n}, \dots, c_{|c|}^{x_{|c|}/n} \right]$$

$$\lambda Pn \cdot Pn; \left( \lambda ck \cdot \left[ (c'_{1,2} \neq c'_{1,4}) \land k c \right] \right)$$

$$\lambda nck \cdot (\forall i \in c \cdot i_n \in \text{poem}) \land k c$$

 $\lambda lnmck. (\forall i \in c. \langle i_l, i_n, i_m \rangle \in give) \land kc$ 

$$(\operatorname{diff}_{1,2} \operatorname{\mathbf{poem}})) (\lambda n \cdot \operatorname{\mathbf{read}} n m)))$$
  
d)   
 $\land ((\forall i \in c' \cdot \langle i_4, i_3 \rangle \in \operatorname{\mathbf{read}}) \land k c')$   
where  $\zeta = \left[c_1^{j/1}, \dots \right]$ 

$$(\lambda l \cdot give l n m))))$$

$$i_{2} \in girl) \rightarrow (\forall i \in c' \cdot \langle i_{3}, i_{2}, i_{1} \rangle \in give)) \land k c$$

$$where \zeta = \left[c_{1}^{x/1}, c_{1}^{y/1}, \dots, c_{|c|}^{x/1}, c_{|c|}^{y/1}\right]$$

$$where \zeta = \left[\zeta_{1}^{u/1}, \zeta_{1}^{v/1}, \dots, \zeta_{|\zeta|}^{u/1}, \zeta_{|\zeta|}^{y/1}\right]$$

$$where c' = \left[\zeta_{1}^{z_{1}/3}, \dots, \zeta_{|\zeta|}^{z_{|\zeta|}/3}\right]$$

$$\sum_{\substack{z_{1} \ a \ b \\ z_{3} \ a \ b \\ z_{4} \ a \ b}} \longrightarrow [a \ b]$$

## Adding Plurals

Plurals build sums, which can be split apart by a covert distributive operator (' $\Delta_i$ '), but neither process distributively duplications information

the<sup>$$n$$</sup>  $\lambda P$ 

-s 
$$\lambda P$$

$$\Delta_j \qquad \lambda P$$

# Next: Unify Sg. and Pl. *Different*?

 $.\,, c_{|c|}^{\mathsf{j}/1}$ 

- - ent
- (10) a. Every b. The b

### References



 $PQck.(Pn;Qn)\left[c_1^{\oplus P/n},\ldots,c_{|c|}^{\oplus P/n}\right]k$  $APnck \cdot \forall x \ll \bigoplus_{i=1}^{|c|} (c_i)_n \cdot Pnc' \mathsf{T} \wedge kc$ , where  $c' = \left[c_1^{x/n}, \dots, c_{|c|}^{x/n}\right]$ 

 $Pnck. \forall i \in c. \forall x \leq i_j. Pnc'k$ , where  $c' = \left[c_1^{n \mapsto x}, \dots, c_{|c|}^{n \mapsto x}\right]$ 

• Brasoveanu accounts for (8) by optionally allowing *different* to introduce its own distributivity

(8) The boys read different poems

• This undercuts the idea that internal *different* exploits a special feature of distributive quantifiers

• Yet, outside of singular/plural DPs, *different* and its relatives do not distinguish between universals, plurals, adverbials, etc.

(9) a. The boys (all) laugh differently

b. {Each product, the products} differ(s) slightly c. {John and Bill, Every student} is/are differ-

• Alternative: let *different* always do its own distributing; try to account for the contrast between sg. and pl. *different* in a more general theory of the licensing of internal singular DPs

y boy read a poem	internal
boys read a poem	<sup>#</sup> internal

Barker, C. and D. Bumford. To appear. Association with distributivity and the problem of multiple antecedents for singular *different*. *L&P*.

Brasoveanu, A. 2011. Sentence-internal different as quantifier-internal anaphora. *L&P*, **34**, 93–168. de Groote, P. 2006. Towards a Montagovian account of dynamics. In *Proceedings of SALT XVI*.